

Sat Notes

March 22, 1878

October 5, 1878

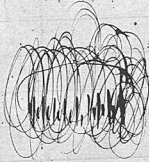
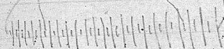
(Telephone)

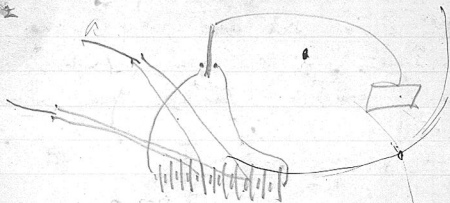
March 22. 1878

Rail wire

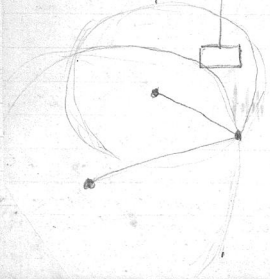


at





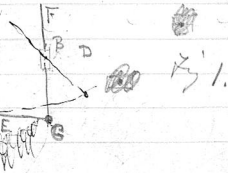
3



March 23^d 1878 New Antagrophic Telegraph³

Principle. A point may be completely defined by its rectilinear distance from two fixed points.

Let A, B, be two tubes capable of free motion upon vertical rods CD. Through the tubes let rods E, F pass united by a hinge at G. Let them carry at their point of junction a pencil arranged vertically on a holder.



Any position of the pencil point can be determined by giving the lengths CG, DG.

Now let mechanism be arranged so that the rods E & F can be moved through their holders A & B in either direction by the action of electro-magnets. Let F be excited by positive currents of electricity & E by negative currents. Let F be pushed forwards in the direction of G when a strong positive impulse is received and in the opposite direction when a weak impulse is received and E be pushed forwards by strong negative current & back by weak negative. Use a rapidly alternating current and thus the point G can be caused to move into any position so as to write a sentence or draw a picture.

At the receiving end have a polarized relay (A) arranged so as to switch off the positive currents into one set of magnets (BC) and the negative currents into another set (DE).

Line wire

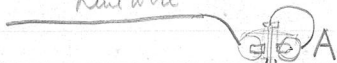
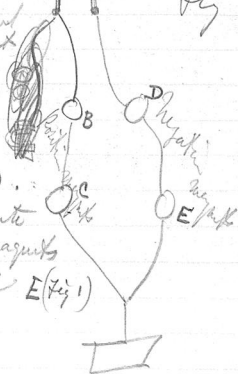


Fig 2

Arrange B & D to be acted upon by weak currents but not by powerful — x

C & E to be acted upon by powerful but not by weak currents.

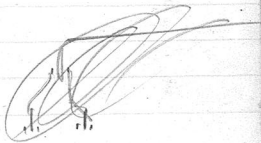
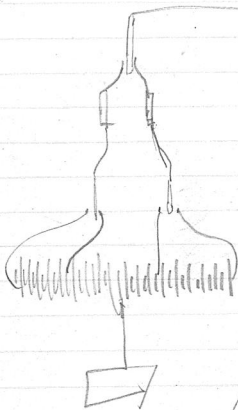
Magnets B & C to actuate rod F (Fig 1) and magnets D & E to actuate rod E (Fig 1)



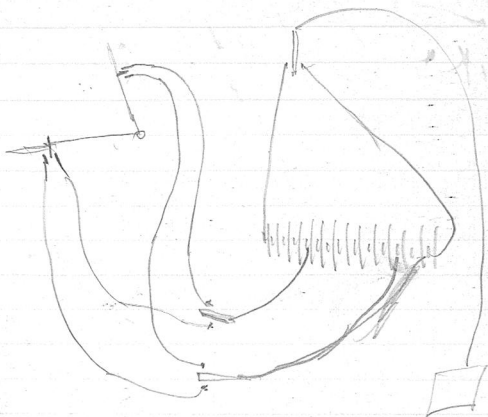
I am perfectly sure that
it is perfectly legible in this

March 23^d

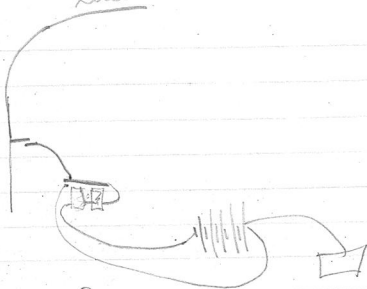
Line



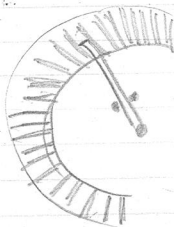
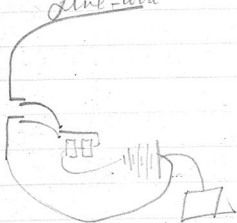
7



Line



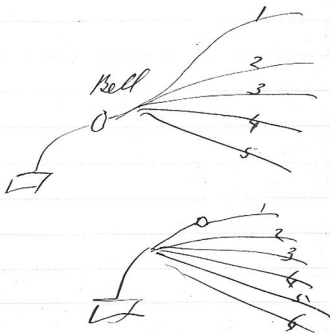
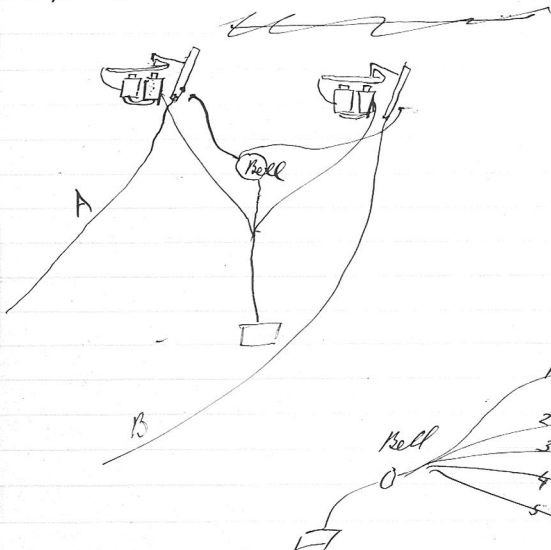
Line-wire





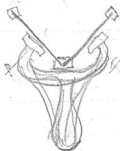
April 7th - 1878

7



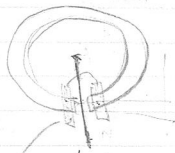
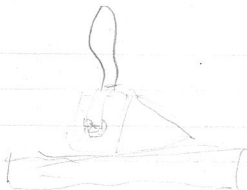
80

April 8th 1978



mouth - piece
leather or rubber
lowered \rightarrow

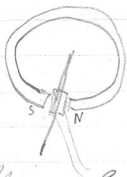




Old idea of pole on each side of plate
 neutralizes completely the an-undulatory
 character of current & will enable the
 timbre of loud sounds to be as
 perfectly copied as that of soft
 sounds. If we can only obtain
 in receiving instrument an alternate attraction
 & repulsion the energy of the vibration
 the receiver may be enormously increased.

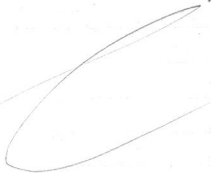
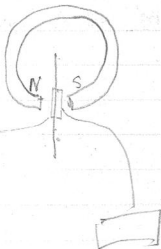
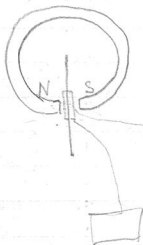
How would following idea do

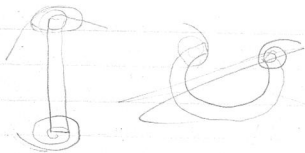
52



Have soft iron pole pieces
+ coils upon the plate
instead of magnets.

Yes. Each pole of magnet would
alternately attract & repel armature.





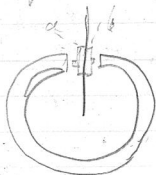
The above idea has already been tried but I remember right we were not careful about the collection of the coils.



This idea has already been tried by Watson & myself

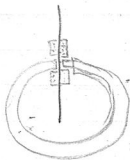
and very poor effects produced. In fact almost nil. But I do not remember whether we realized the importance of reversing one of the coils. If this is not done the removal of the plate from one pole will occasion a current of opposite kind to that produced by the approach to the other pole & the one current will neutralize the other. So in regard

to the following arrangement

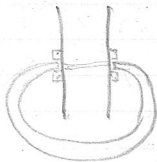


the coils a & b
must be reversed.
Otherwise ~~the~~ opposite &
consequently mutually
neutralizing currents will be produced.

Perhaps still better arrangement
is shown in ~~this~~ section in the
next illustration ———



or





Want to obtain repulsion on one side
and attraction on the other. No difficulty
in vibrating plate however magnet may be
arranged. Am afraid must have double
plate. Tuning fork coil arrangement



was failing on account
of coil. No I am
wrong. The approach of
two poles simultaneously
will produce current in
same direction.

By the by the above was not the

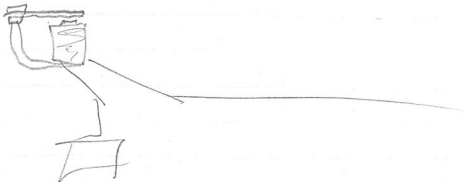
86

arrangement I tried but this: and there
the arrangement of the coils would make

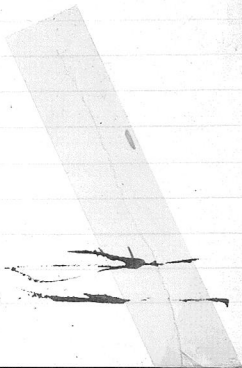
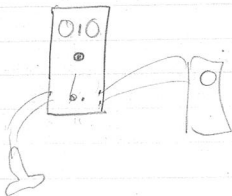
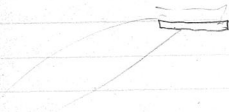
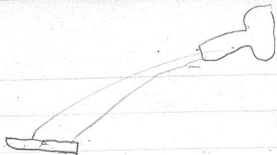


all the difference between maximum effects
& complete neutralization.

agf



88

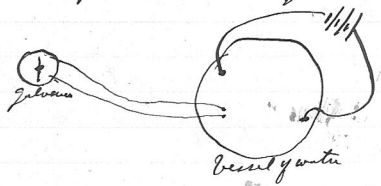


Let me see that one.

April 10th 1878. Experiments made yesterday ~~with earth connections instead of~~ ~~wire~~ metallic conductors very extraordinary. They throw light on nature of earth connections & show whether earth acts simply as an electrical reservoir or whether there is any real current establishment - or both.

The reservoir theory which seems the best appears at first sight inadequate to explain yesterday's phenomena.

Test with galvanometer as follows.

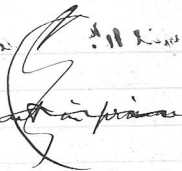


Will there be any deflection? If so how much?
~~Call the circuit the primary & galvanometer,~~
~~the secondary.~~ • Then test inductively the

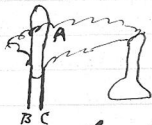
deflections. ~~...~~

Or still better.

Take tube of water and connect in primary circuit



Make following experiment. Connect insulated handle with two bare wires B, C connected with a telephone D,



Telephone circuit to be ~~connected~~ closed by dipping ~~the~~ wires BC into water.

~~Connect battery & key with handle of~~ Use this in place of galv. and if noise is heard when battery circ. is opened & closed, then for each point examined turn the handle A so as to ascertain whether the direction ~~of~~ BC affects result.

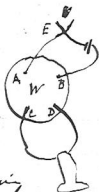
April 11th. Made experiment shown on page 21.

W. Basing Water

A.B. Battery terminals

C.D. Telephone terminals

One cell Le Clanché
battery in hand
order.



Upon making & breaking
the battery circuit at E clicking
sounds were plainly audible in Telephone.

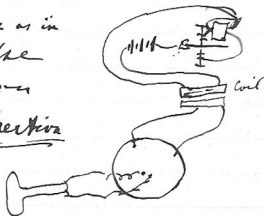
The sounds became louder when a few
drops of sulphuric acid were added to the
water.

Experiments to try.

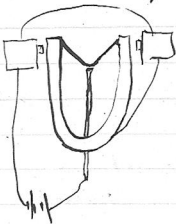
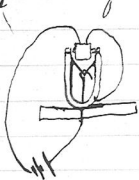
Open & close Telephone circuit. ~~Let~~

Try induced current from rheotome as in
next drawing. ~~Use~~ Use
insulated handle shown on

page 20 & note the direction
of BC for the maximum
and minimum effects.



April 12th New current interrupted suggested
by remarks of Mr. Mandet Buzart last night.



April 17th - Hailstorm accompanied by
thunder & lightning today. Held
two telephones one to each ear
(the terminals being ~~of~~ unconnected)
and distinctly heard ~~a~~ clicking
sound ~~the~~ in the telephone at
the moment a flash of lightning
appeared. It seemed as if there was
a double click, but the opportunities
for observation were so few that
I cannot be certain of any other
point than that a noise was
produced from the telephone at
each flash of lightning.

July 4th 1878 - Impact of atoms.

Premises. 1. Persistence of force i.e.
the quantity of motion cannot be
altered.

2. vis inertiae



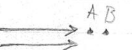
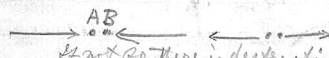
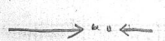
3. motion proportional to moving
force impressed, & in straight
line of forces direction.

~~4. Reaction equal & opposite.~~

4. Motion can only be com-
municated to an atom by the impact of
~~another~~ other atoms.

5. Atoms can only move as wholes their parts
are inseparable or independent motion.
Take simplest case. ^{but rotation motion possible.} Impact of

2 atoms equal in mass. Represent
original motions of atoms by dark lines
& resultant motions by dotted
lines

		Before impact	After impact
	Resultant	A B	A B
	$\frac{A+B}{2} \rightarrow$	$10 + 0$	$0 + 10$
		A B	
	\rightarrow	$10 + 5$	$5 + 10$
			
	\rightarrow	$10 + 10$	$10 + 10$
		$10 - 10$	$-10 + 10$
	If not so there is destruction of force.		
		$10 - 5$	$-5 + 10$

In every case of impact in a straight line the atoms must exchange conditions otherwise there is a destruction of force. The production of heat ~~by~~ by concussion is inadmissible with atoms for they ~~can~~ can only move as wholes. ~~If conservation of energy is correct~~ a solid particle acts as an elastic substance.

Having considered impact in straight line - consider impacts at angles.

Impact at right angle:



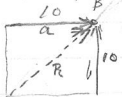
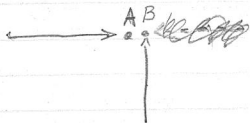
$$R^2 = A^2 + B^2$$

Before impact		after impact
A	B	B
10	10	

$$\begin{array}{r} \sqrt{200} \\ 20.00000000 \\ 14.1421356 \\ \hline .58578644 \end{array}$$



Case 1st Impact at right angles.
Motion for B



$$R^2 = a^2 + b^2 = 200$$

$$R = \sqrt{a^2 + b^2} = \sqrt{200}$$

$$R = 14.1421356$$

B's motion will be in direction of dotted line. What will A's motion be?

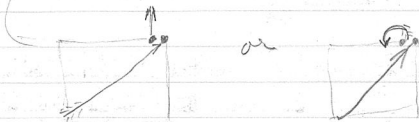
If quantity of motion remains, A's motion should be $R' = A + B - R = 20 - R$

$R' = 5.8578644$ but in what direction?

If B were at rest the reaction of B upon A would leave A at rest. For B has no tendency to move in the line of A's motion.

Resultant motion of A along line A is therefore nil and it can only move in the direction of B's original motion or spin upon its axis with a left-handed motion !!?

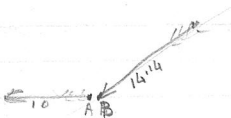
That is Resultant is either



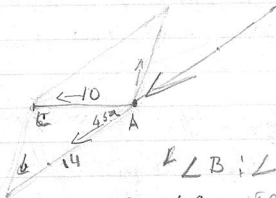
In the latter case A's onward motion would be stopped and it would simply rotate.

~~Right~~ The best way of deciding which is right is to reverse operation & see whether original motions could be deduced.

Revenge B as in next page



Given B's motion. What motion must A originally have in order that impact of B should send it in direction of arrow-head with velocity ~~10~~ 10.



$$\angle B : \angle C :: 10 : 14$$

$$\angle B + \angle C = 180^\circ - 45^\circ = 135^\circ$$

$$\angle B = 135^\circ \times \frac{10}{24+24} = \frac{225^\circ}{4}$$

$$\angle C = 135^\circ \times \frac{14}{24+24} = \frac{315^\circ}{4}$$

$$\angle B = 56.25^\circ$$

$$\angle C = 78.75^\circ$$

$$\angle A = 45.00^\circ$$

$$\text{Total } 180.00$$

$$\begin{array}{r} 79 \overline{) 630} \\ 632 \\ \hline 7 \end{array}$$

$$\begin{array}{r} 4 \overline{) 315} \\ 78.75 \end{array}$$

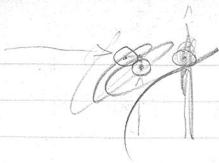
$$\begin{array}{r} 4 \overline{) 225} \\ 56.25 \end{array}$$

$$\text{78.75}$$

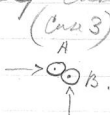
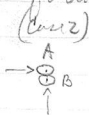
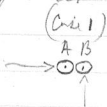
$$79 : 45 :: 14 : 10$$

$$\frac{10}{45} = \frac{14}{x}$$

$$x = 630$$



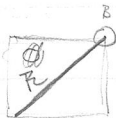
In considering effect of impact, the evident result depends upon the parts of the atoms which come into contact & hence result depends upon shape - size & c of atoms as well as the directions of motion. Consider atoms as spherical & of equal size & mass, ~~Consider~~ Let particles move into collision with equal velocities but striking at right angles as in following cases



Over

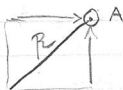
Case 1

In case 1 the motion of B (which is centrally struck) is evidently ~~not~~

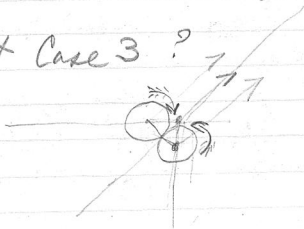


~~shown here~~ but motion of A is uncertain in my mind.

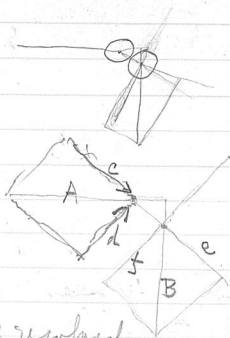
So in case 2 the resultant motion of A is evidently what B is in the first case & condition of B is not certain in my mind.



How about Case 3?



May 6th 1878



A's motion may be resolved
into $c \times d$

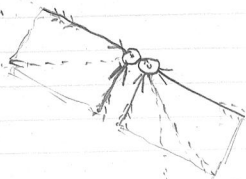
B's

$e \times f$

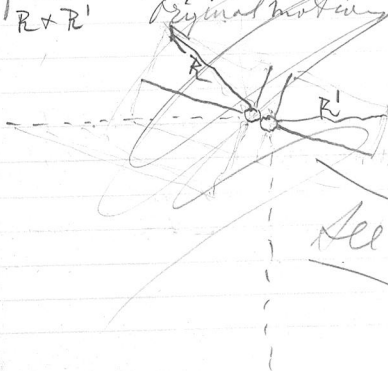
But $c \times e$ are in the same straight
line & in opposite directions - Hence
the atoms A & B - will exchange
conditions so far as $c \times e$ are
concerned. Hence

or

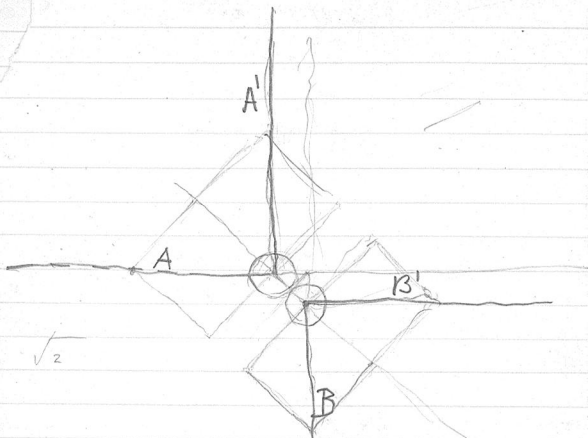
Before impact
 Forces resolved into direct + tangential
 forces.



After impact . Direct + tangential
 forces in dark lines . Resultant motion
 $R + R'$ original motion in dotted line



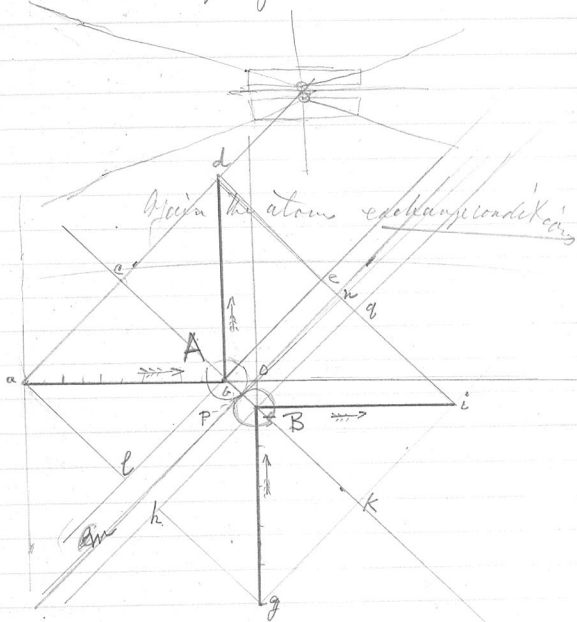
See over



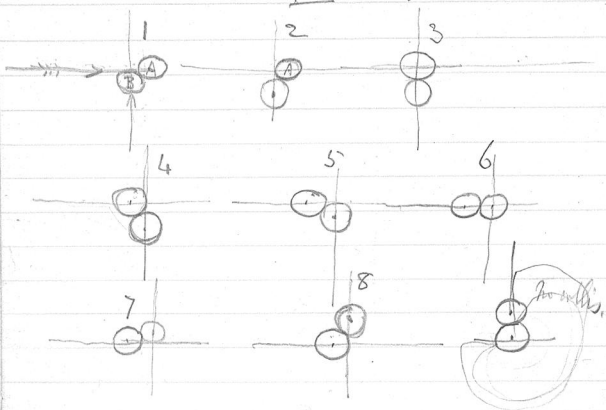
Original direction of $A \times B = A \times B$
 Final direction of $A \times B = A' \times B'$

Again the atoms ~~upon~~ ^{under} impact
exchange conditions.

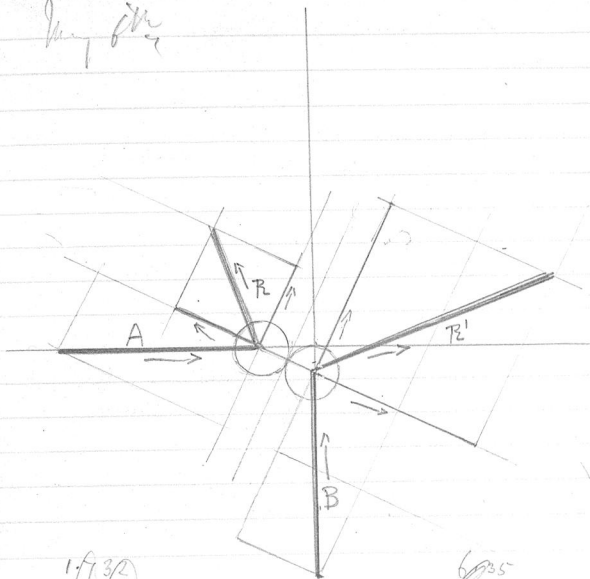
Angle of impact = 90°



Investigate following cases



17
 Day 10



1.732

$$R = \sqrt{2} = 1.4142$$

6.35

3.2

0.75

$$\begin{array}{r}
 5 \overline{) 1285} \quad 75 \\
 \underline{257} \\
 1305 \\
 \underline{261}
 \end{array}$$

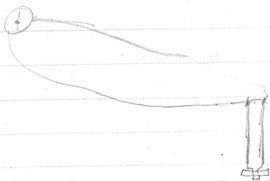
$$\begin{array}{r}
 5 \overline{) 1200} \\
 \underline{240}
 \end{array}$$

$$1256$$

$$251.2$$

$$\begin{array}{r}
 5 \overline{) 1200} \\
 \underline{924} \\
 184.8
 \end{array}$$

May 6th



Magnet removed from plate.
Size of plate varied.

~~Size of plate.~~
Radius

$$1 \text{ cm.} = 72, 70, 71, 72, 70 = 71$$

$$2 \text{ cm.} = 160, 165, 164, 163, 170 = 164.4$$

$$3 \text{ cm.} = 205, 201, 203, 200, 200 = 201.8$$

Radius wing.

$$4 \text{ cm.} = \cancel{221}, 262, 262, 260, 262, 264 = 262$$

$$3 \text{ cm.} = 245, 241, 237, 238, 239 = 240$$

$$3 \text{ cm.} = 240, 241, 238, 241, 240 = 240$$

$$2 \text{ cm.} = 192, 182, 188, 182, 180 = 184.8$$

$$2 \text{ cm.} = 170, 172, 175, 170, 180 = 173.4$$

$$5 \text{ cm.} = 260, 245, 258, 270, 252 = 257$$

$$5 \text{ cm.} = 248, 262, 260, 260, 275 = 261$$

$$4 \text{ cm.} = 261, 240, 253, 240, 262 = 251.2$$

The deflections obtained are hardly sufficiently uniform to be trustworthy.

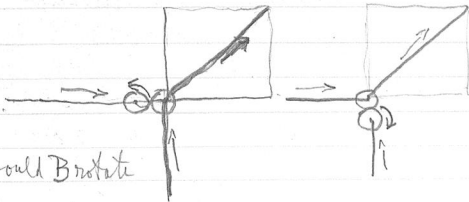
Remove magnet to a great distance from plate. It was only removed to a distance of about 2 inches. —

14 cm. plate gave very little more deflection than 5 cm. plate.

There is a limit to size of plate that is advantageous.

Take diam. of magnet — Length —
+ power — Also size & position of coil.

May 7th 1878



or would brook



May 8th 1878

Baby born at 6.45 p.m.

May 9th Baby weighed = $4\frac{1}{2}$ lbs ~~net~~
16 ozs to the pound

$$\begin{array}{r} 5 \overline{) 967} \\ \underline{193} 4 \end{array}$$

$$\begin{array}{r} 5 \overline{) 1246} \\ \underline{249} 2 \end{array}$$

~~$$\begin{array}{r} 6 \overline{) 169} \\ \underline{12} 9 \end{array}$$~~

$$\begin{array}{r} 5 \overline{) 1411} \\ \underline{282} 2 \end{array}$$

$$\begin{array}{r} 5 \overline{) 1448} \\ \underline{289} 8 \end{array}$$

May 9th 1878

Experiments with plates of
diff. sizes continued; plate snatched
fully away,
Machins Lin Deflections

$$2 \text{ cm. } 191, 193, 197, 195, 191, = 193.4$$

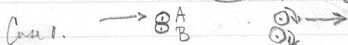
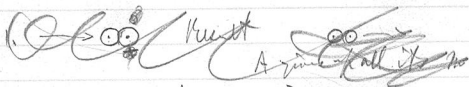
$$3 \text{ cm. } 249, 245, 250, 252, 250, = 249.2$$

$$4 \text{ cm. } \cancel{278}, 272, 272, 272, 272, 272 = 272$$

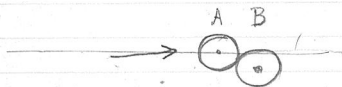
$$5 \text{ cm. } 283, 277, 283, 285, 283, \cancel{283} = 282.2$$

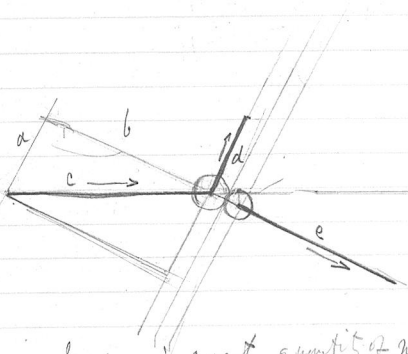
$$6 \text{ cm. } 265, 289, 289, 291, 292, 287 = 289.8$$

Phases of impact



Case 2.





If above is correct ^{quantity} quantity of motion theory incorrect for $a+b > c$ i.e. $d+e > c$ which is opposed to the theorem that the quantity of motion is ever the same.

Two sides of triangle are together greater than the third. $a+b$ greater than c hence $d+e$ ~~is~~ greater than c . I.e. a greater quantity of motion is obtained than that originally possessed.

$$\begin{array}{r} 5 \cancel{8} 3 3 \\ 1 6 6 . 6 \end{array}$$

$$\begin{array}{r} 1127 \\ 225.4 \end{array}$$

$$\begin{array}{r} 1175 \\ 235 \end{array}$$

$$\begin{array}{r} 1521 \\ 304.2 \end{array}$$

$$\begin{array}{r} 1285 \\ 257 \end{array}$$

$$\begin{array}{r} 1551 \\ 310.2 \end{array}$$

$$\begin{array}{r} 1315 \\ 263 \end{array}$$

$$\begin{array}{r} 1316 \\ 263.2 \end{array}$$

$$\begin{array}{r} 1403 \\ 280.6 \end{array}$$

$$\begin{array}{r} 1444 \\ 288.8 \end{array}$$

$$\begin{array}{r} 1453 \\ 290.6 \end{array}$$

11

May 10th 1878 - Refluxions con-
tinued.

2 cm. 172, 165, 168, 160, 168, = 166.6

3 cm. ~~222~~, ~~225~~, 230, 225, 225, = 225.4

4 cm. 235, 238, 238, 242, 242 = 235

5 cm. 268, 250, 245, 260, 262 = 257

6 cm. ~~260~~, 260, 260, 265, 270 = 263

7 cm. 282, 250, 250, 282, 252 = 263.2

8 cm. ~~280~~, ~~282~~, ~~285~~, ~~278~~, ~~275~~ = 280.6

8 cm. 282, 292, 289, 292, 289 = 288.8

9 cm. 292, 290, 293, 293, 285 = 290.6

10 cm. 300, 310, 309, 310, 292 = 304.2



14 cm. 318, 309, 306, 306, 312, = 310.2

Over

May 10th Mahiel says that
ᐅᐅᐅᐅ ᐃᑦᑦᑦ ᑦᐅᑦᑦ
ᑦᐅ ᐃᐅᐅ ᐃᑦᑦᑦ ᐅᑦᑦ ᐃᐅᑦᑦ
ᑦᐅᐅ ᑦᑦᑦ ᐅᑦᑦᑦ ᑦᑦ ᐅᑦᑦ
ᐃᑦᑦᑦ ᐃᐅᐅᐅᐅᐅᐅᐅᐅ.

May 10th 1878

Single readings of
Lin + Russian iron.

	Lin	R. Iron
2 cm.	185-	152
3 cm	220	198
4 cm	239	218
5 cm	252	222
6 cm	270	235-
7 cm	275-	230
8 cm		
9 cm		
1 cm.	72 72	62

May 10th 1898

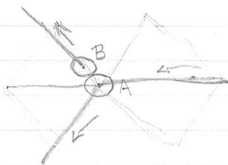
Triangle of Forces inconsistent with
~~pre~~existence of force. It not only
demands (statically) that the force represented
by one side of triangle balances the two
others — but (dynamically) that the
motion represented by one side is ~~equivalent~~
~~to the motion represented~~ the resultant of
the other two sides in magnitude & direction
— not only the resultant but the equivalent
for the resolution of forces shows that a
force represented by one line of a triangle
can be split up into two other forces
represented in magnitude & direction
by the other lines of the triangle.

Thus force A can be split up into
two other forces B & C.



But as ~~one~~ two sides of
a triangle are together greater than

In the third side - the sum of the motions $B+C$ are together greater than the motion A which is inconsistent with persistence of force. Indeed the perpetual motion would be possible if this is true & work be obtained without loss of energy. For instance let ~~off~~ A strike B ~~so that~~ as shown below. Before the forces



are represented by an equilateral triangle. The sides are equal.

and $A+B$ ~~each~~

~~start off~~ after impact each start off on different paths with velocities equal to the original velocity of A , that is the quantity of motion is doubled, and each one strike other atoms in a similar manner & the original motion can be multiplied ad infinitum.

May 12th Chester University. We
that the energy of a body is expressed
by the mass into the square of the
velocity.

So take case of
two forces acting at right angles.

The square of the hypotenuse is
equal to the sum of the squares of the
other two sides.

Must study more. Not
confidence in any mathematical inequality
of my own.

May 22^d 1898

Apparatus for measuring the power
of a magnet.

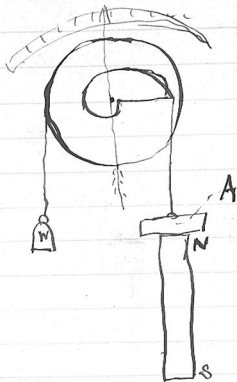
Attach armature
A to wooden rod inside
coiled spring — and
note the point to which
a given magnet N S can
draw down index hand

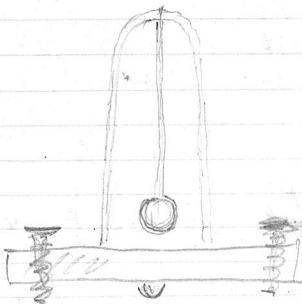


Or see over

page —

over





White Floss silk



July 24th 1876

Microphone. Principle is
evidently, introduce substance of low
resistance & increase its resistance
almost to infinity. -

almost to infinity. Couance of
water telephone what way
into d. high high resist. & decrease
it.

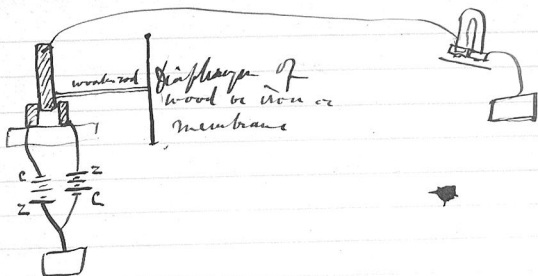
To obtain best effect
reverse current - \times ~~attract~~ \times
repel arm \times .

How is this?



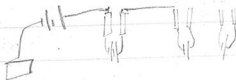
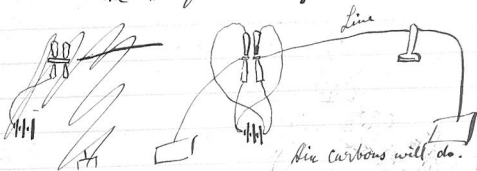
all carbons ¹
light contact

Perhaps attach carbon
6 to a diaphragm so as
to be rendered sensitive to
ground.



Aug 25th 1878

Use single battery



May 26th 1898

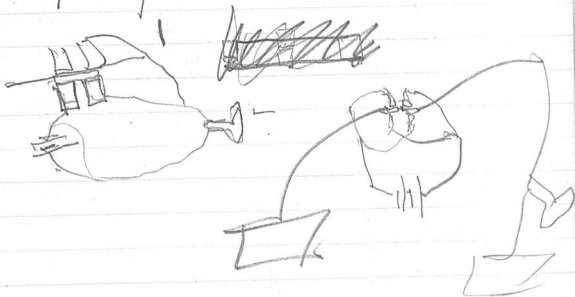
Mabel has decided to call baby - Elsie May.

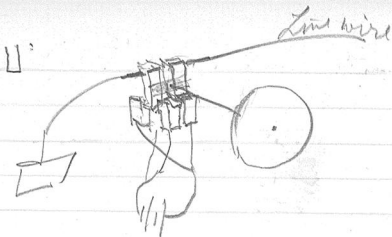
Although baby turns to the light (according to Mr. Hubbard) she is quite unmoved by any movement made near her eyes.

A quick motion ^{of the hand} before the eyes that makes any of us wink seems to be unperceived by baby. - at least the eyes remain open & no winking results. Shall observe when first winking from such a cause appears.

Aug 26th 1878 Use microphone
principle as Relay.

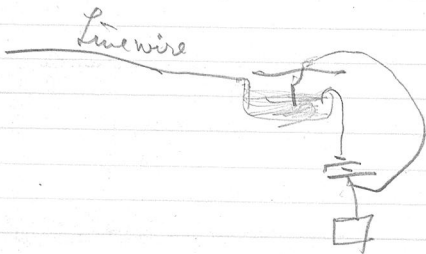
Friday May 27th - 28th

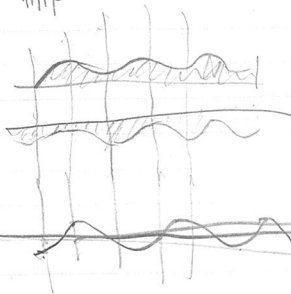
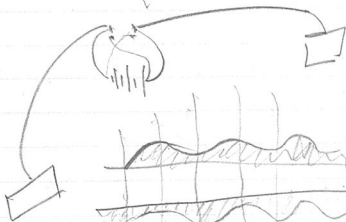
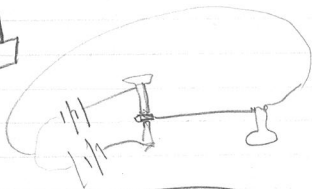
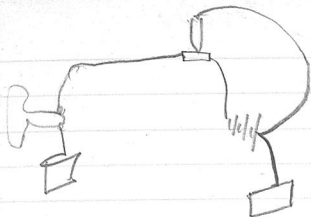




Why not use mercury or good conductor to short circuit in a greater or less degree.

For instance.





May 31st Mabel + Baby went
for their first drive today.

Elsie weighed yesterday - result $9\frac{1}{2}$ lbs
A gain of two pounds in 21 days

$$\begin{array}{r} 200 \overline{) 7.5} \left(3 \right. \\ \underline{60} \\ 150 \\ \underline{150} \\ 0 \end{array} \quad \frac{4}{45} \frac{1}{4} \text{ nearly}$$

Tonight read account of many infants
being poisoned by the use of violet powder
adulterated with arsenic. Chester tested
the violet powder Mr. Freeman uses for
baby and found it free from arsenic.

Mabel much affected by funeral
of infant at No 72 on the way, she
sent a bouquet of flowers to the mother
as a token of sympathy. The mother
(Mrs. Woolf) evidently gratified at the
attention - ~~sent her thanks~~
sent her card to Mabel with thanks.

Mabel, Mr. Freeman, Elsie + I drove ^{in a carriage} in the
Park + Kotten Row. Mr. Hubbard + Gertrude
drove in hansom.

May 31st

Can we clearly that study
of laws of motion as applied to atoms
will lead to most valuable results

taken in connection with conservation
of Energy.

Strike clean of all
pre-conceived ideas.

Dismiss idea
of an attractive force. Consider
all motion as the result of pressure
and all pressure as the result of motion.

Be guided by following principles.
Atoms can only move as wholes ~~in whole~~ rotate.

Principle. An atom can only be set in motion by the
impact of other atoms. & the sum of the motions
after impact equals the sum of the motions before
impact.

Motions of all kinds are positive
the positive or negative sign merely indicating
the direction of the motion. Thus $+a$ and $-a$. The
sum of these motions $= 2a$ the $+$ sign indicating that
the motion a is in the ~~same~~ ~~is in same direction~~ the
pos. direction and the $-$ sign showing the
opposite direction - but the sum of
the motions is $2a$ - all

June 5th 1878 - Returned from Cambridge
this morning (Wednesday) having been absent
from home practically three days.

Sunday at Sherwood with Dr. Siemens
Monday at Oxford with Prof. Max Müller
Tuesday Cambridge with Prof. Clerk-Maxwell.

When I left Elsie on Saturday - no tears
were visible when she cried. Today I
find tears coming copiously. Baby was
four weeks old today. No winking yet
manifest when hand is passed before eyes.



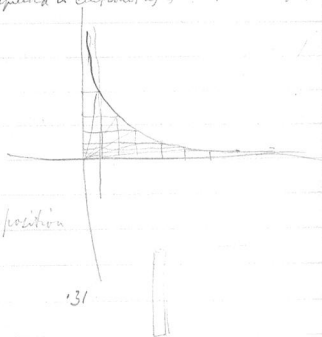
June 8th 1878 — Averages of observations
of deflection for locality of coil.

~~By the compass alone~~

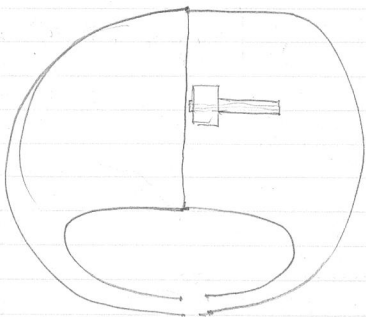
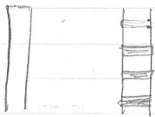
Take as origin the ~~top~~ top of magnet —
& take magnet itself to be the axis of x —
Then y will be the deflection.

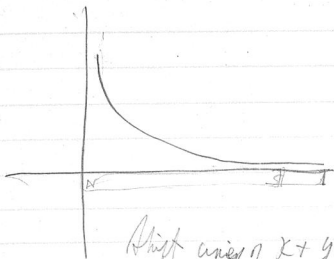
See pages 61 & 63. x = dist. center of coil from top of mag.
 y = deflection expressed in centimeters.

$x_1 = 1$	$y_1 = 8.63$
$x_2 = 2$	$y_2 = 5.72$
$x_3 = 3$	$y_3 = 3.88$
$x_4 = 4$	$y_4 = 2.52$
$x_5 = 5$	$y_5 = 1.81$
$x_6 = 6$	$y_6 = 1.23$
$x_7 = 7$	$y_7 = .94$
$x_8 = 8$	$y_8 = .67$
$x_9 = 9$	$y_9 = .48$
$x_{10} = 10$	$y_{10} = .31$
$x_{11} = 11.15$	$y_{11} = .25$
$x_{12} = 12.1$	$y_{12} = .20$
$x_{13} = 13.1$	$y_{13} = .10$
$x_{14} = 14.1$	$y_{14} = .09$
$x_{15} = 14.9$	$y_{15} = .06$

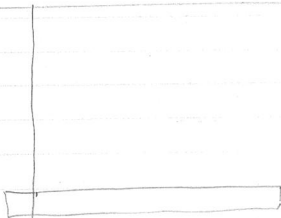


take position





Shift axes of $x+y$ so as to cut curve.



axis of y is 1.000 from top of mag.

axis of x is 0.31 from ~~the~~ line of magnet.

Various elements of curve will be therefore

~~Revised elements of curve referred to~~

New rectangular coordinates referred to the new origin
are:

$$x = 0 \quad y = 8.32$$

$$x_1 = 1 \quad y_1 = 5.41$$

$$x_2 = 2 \quad y_2 = 3.57$$

$$x_3 = 3 \quad y_3 = 2.21$$

$$x_4 = 4 \quad y_4 = 1.50$$

$$x_5 = 5 \quad y_5 = 0.92$$

$$x_6 = 6 \quad y_6 = 0.63$$

$$x_7 = 7 \quad y_7 = 0.36$$

$$x_8 = 8 \quad y_8 = 0.17$$

$$x_9 = 9 \quad y_9 = 0.00$$

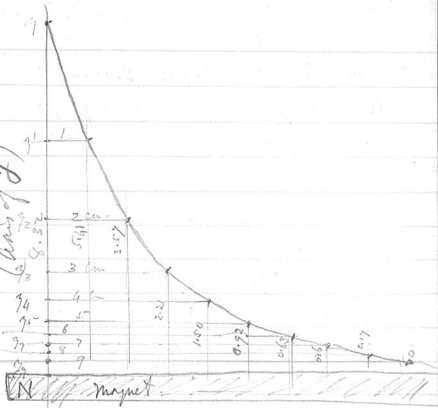
$$x = 0 \quad y = 8.32$$

$$x_1 = 9 \quad y = 0$$

$$x + a + y + b$$

(ang X)

(ang y)



June 9th 1878. Want money. Seem
to me I can immediately make
a valuable sale by perfecting
Holo's annunciator shown in
old book page 42. & subsequent pages.

In place of having a large number
of springs as in page 45 & one
tooth to push them out. Why not have
a number of fixed wires & one spring to
touch them alternately. Think this and.

But the tooth on page 45 makes
one circuit & at the same time breaks
another. This is important.

Principle is all wires united ~~to~~
through a common magnet. When a circuit
is closed mechanism is released & each
wire is alternately tried & ~~when the~~
~~seeking bar~~ A tooth makes contact with

each wire alternately at the same time
or breaking connection with common
magnet.

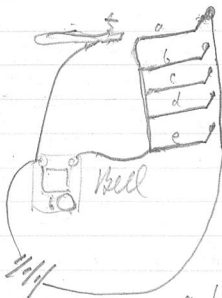
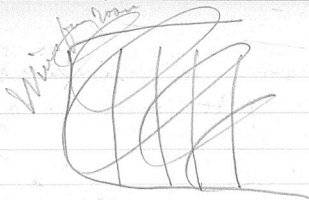
New principle.

Unite all wires with common
electrical bell. When a circuit is
closed. Bell rings ~~at each seeking~~
~~from~~ mechanism revolves & each
circuit is broken successively. When
proper circuit is reached - ~~current~~,
bell stops ringing & revolution stops.

Pointer then indicates the proper line.

One magnet required. Perhaps not
necessary to break circuit at all - merely
short circuit magnet with each wire
alternately.

Solved clean over page.

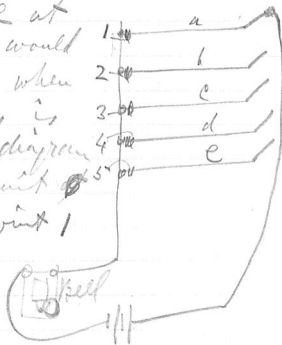


Let a b c d e be
wires from rooms in
hotel. Let the switch
of a be turned so
as to complete the
circuit. Bell rings.
Now take holder \oint and
apply it to the wires
a b c d or e successively.

When applied to a ~~the~~ the current will
pass by \oint & bell won't ring.

Stupid!! The holder
 \oint would short circuit bell if placed
on any of the wires a b c d or e.

Suppose however that each circuit
 was broken alternately at the points 1, 2, 3, &c.
 Then breaking of circuits
~~at points 6, 7, 8 or 9 at~~
 points 2, 3, 4 or 5 would
 not stop bell ringing when
 position of affairs is
 that indicated in diagram
 but breaking circuit ~~of~~
a ~~would~~ at point 1
 would at once
 stop bell.



Won't do — for you could
 discover nothing if two circuits
 (say a + c) were both closed in series
 at same time. Plan while feasible
 if only one signal is made at a time
 is not practicable.
 See nothing better than old plan.

Perhaps simple plan might be.
When signal comes disconnect all
wires from room & then test
each separately.

This is good idea.
Work out.


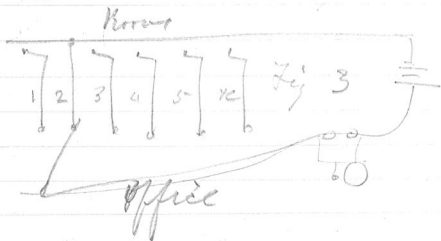
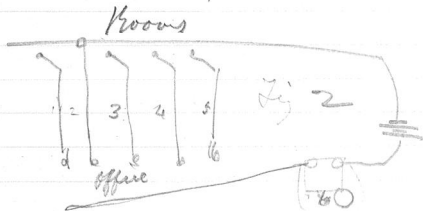
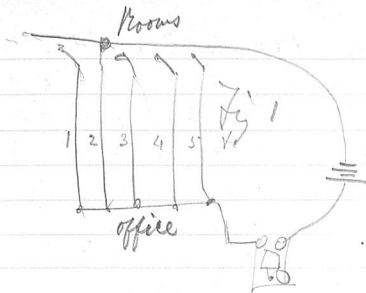
Idea in embryo is here. 
Suppose Fig 1, represents original condition
of wires. ~~Fig 2 all wires~~
Bell rings.

Fig 2. Wires disconnected, Bell
stops ringing.

Fig 3. Bell wire connected with
each wire alternately. Bell
rings when connected with No 2.
Signal therefore proceeds from Room 2.

So this process automatically
& problem of economical arrangement
is solved.



June 10th 1878 — Annunciator idea
most important especially if it can
be applied to Central office system.
But must be applicable to magneto-calls
arrangements & closed circuits.

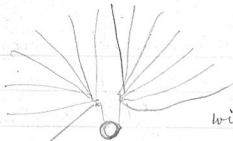
There are therefore two conditions.

- 1st. Where it is only required that the Central office
be called so that the number of the room or
house calling be known. —
- 2nd. Where the central office can call the
various rooms or houses as well as
they call it.

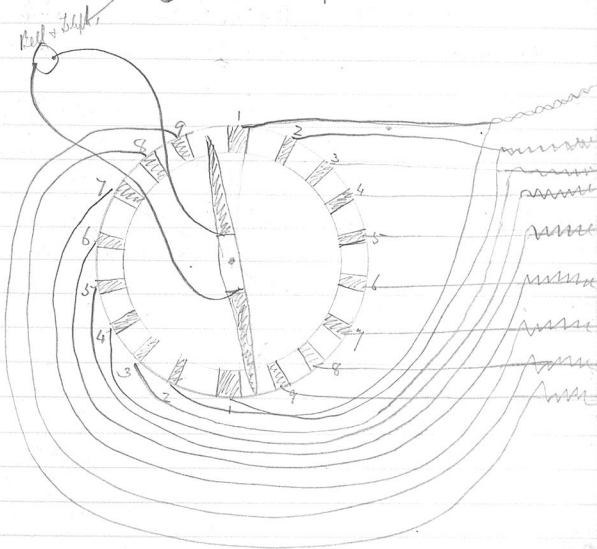
1st Plan most economically solved by
permanently open circuit. 2nd plan must
have closed circuits

Solve 1st plan first then
consider 2nd.

Over



Slide easy upon double-
wire plan.



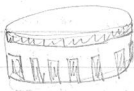
Perhaps Hotel arrangement can be made wholly
automatic & electric — by accomplishing rotation
of "finder" by the step by step motion of armature
of electro-magnet — thus ~~eliminating~~ obviating
the necessity of clockwork. ~~etc~~

Pass magnet under iron armatures. When proper armat.
is reached let magnet attract armature & hold it firmly.

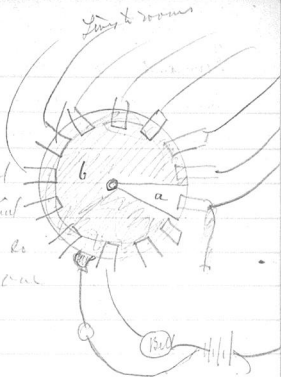
Not so good as keeping magnet fixed &
mild, making contact with each wire separately.

See nothing better in principle than ~~same~~
old arrangement excepting that perhaps the
details may be simplified & improved.
(see old book page 45-)

Chas. W. C. C. C. C.

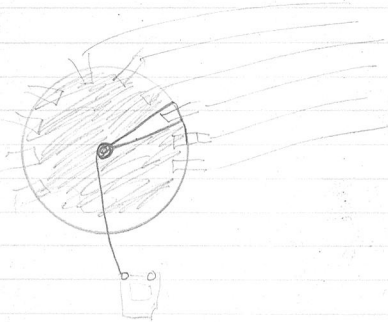


Two ^{coreless} metallic disks ($a \times b$) placed
face to face with insulating material
between. Upper disk cut away as
as to expose lower disk at one
part a .



Over.

Simplist for house where only one bell would
be touched at a time would be break circuit
when pointer comes to right class. room.



Hand Indicators for Houses.



Sectional view

June 11th - Far better make the
Indicator automatic & independent
of clockwork.

Make Electro-magnet work
ratchet wheel round & when proper
wire is reached - ring a bell!

June 12th

June 12th Baby! Baby!

Mrs. Freeman our nurse left us
last night & baby cried all last
night & this morning. Mabel had
no sleep. Terrible time for
both of us. W^m H. relieved
us early in the morning.

June 12th. In considering collisions
of atoms it is certainly the
case that atoms moving in the same
~~straight~~ impinge directly upon
one another they must exchange
conditions. But however atoms
may strike one another - their motion
can be split up into direct &
tangential effects.

~~Sunday June 17~~

Monday June 16th 1878

Returned from Plymouth this evening with Berta. Found Mabel in tears ~~and~~ and Elsie ill.

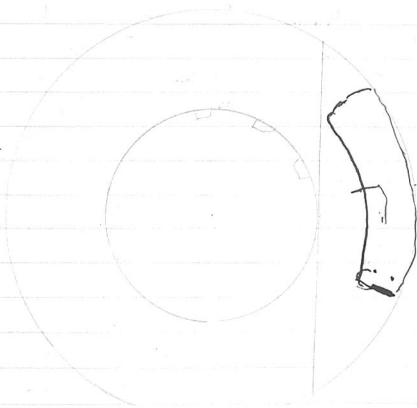
Poor little baby as white as snow - looking seriously ill.

~~So~~ Went for Mr Freeman but she was not in. Doctor does not think it serious.

Tuesday June 17th 1878

Baby moaned all last night. Took her usual food this morning. Still unwell. Doctor says pressure on the brain due to excretory functions being out of order - does not think it serious. Mabel much troubled. Mrs Freeman has been with us today but leaves tonight. Thinks baby has caught cold. New nurse engaged. Came tonight. Baby seems brightening up.

~~June 17th 1878~~



Tuesday June 17th 1878. Arranged
with Mr Bailey to make ~~Cent~~
Hotel Indicator of old model
with clock-work. Think that
model can be simplified.



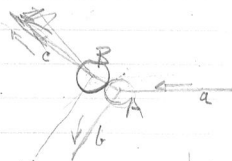
June 7th 1878 Atoms.

Take following statements as correct; ~~the~~ 1st Conservation of energy (which defines as momentum).

2. Atoms impinging on one another directly exchange conditions.

3. Composition + resolution of forces.

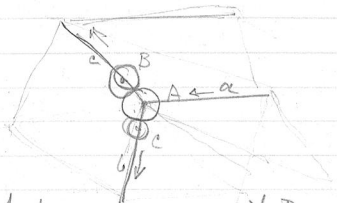
Let ball A impinge upon ball B at an angle of 60°



The ~~the~~ motion a considered independently of mass is equiv. to motions $b + c$.

But when mass is considered + the conserv. of energy demands that $Ma = M'b + M''c$ where M, M', M'' are the masses of the bodies driven along the paths $a, b, \text{ \& } c$.

Take above case but let A strike two other atoms at rest, so that A will remain at rest and B & C go on moving.



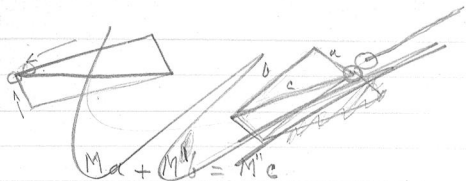
Angles 60° . What masses must B & C have relatively to A to go on with same velocity as A. Let M, M', M'' be the masses & v, v', v'' the velocity. Then $Mv = M'v' + M''v''$ as $v = v' = v''$

$$\cancel{M = M' + M''}$$

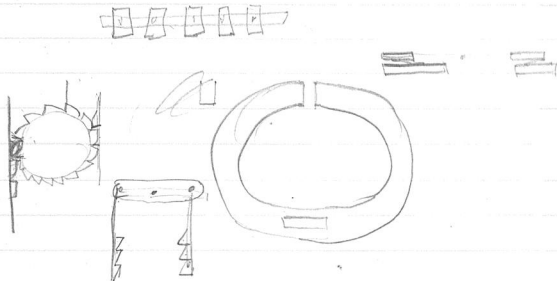
~~Increased when~~

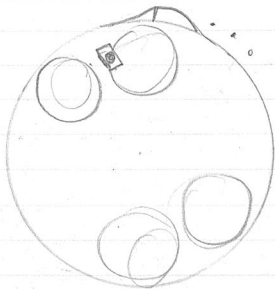
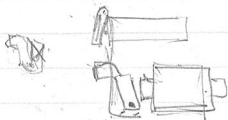
Clearly will not $M' : M'' :: v'' : v'$

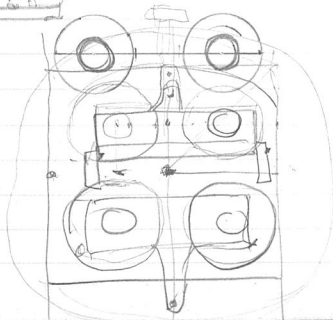
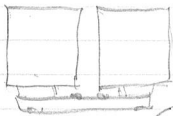
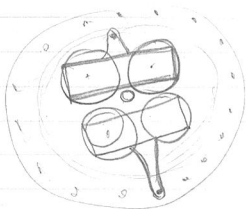
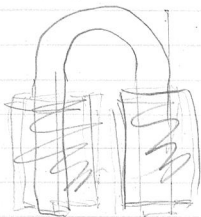
If this is so $M'v' = M''v''$ This surely could not be a universal rule excepting when angle is 60° .



~~Can see that difficulty of atomic collisions can be completely eliminated by considering masses.~~



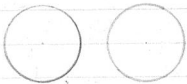


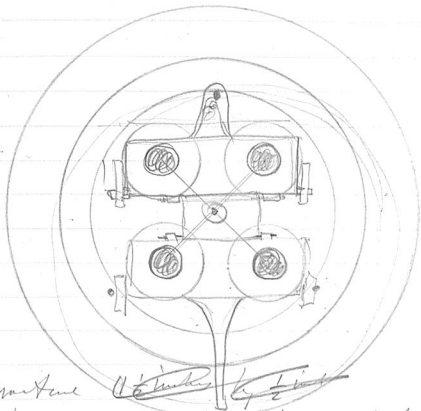


$\sqrt{2}$

2 2

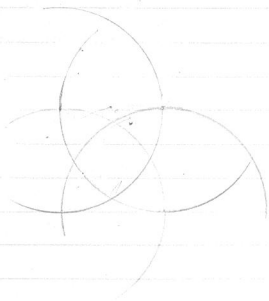
4 4

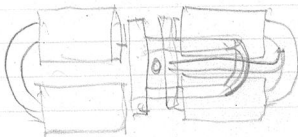
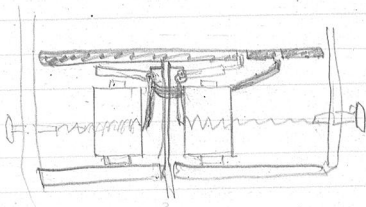


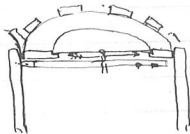
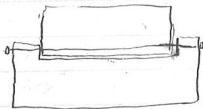
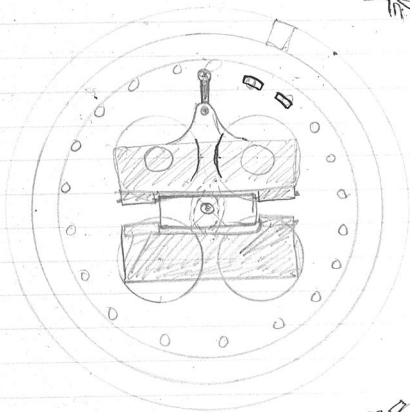


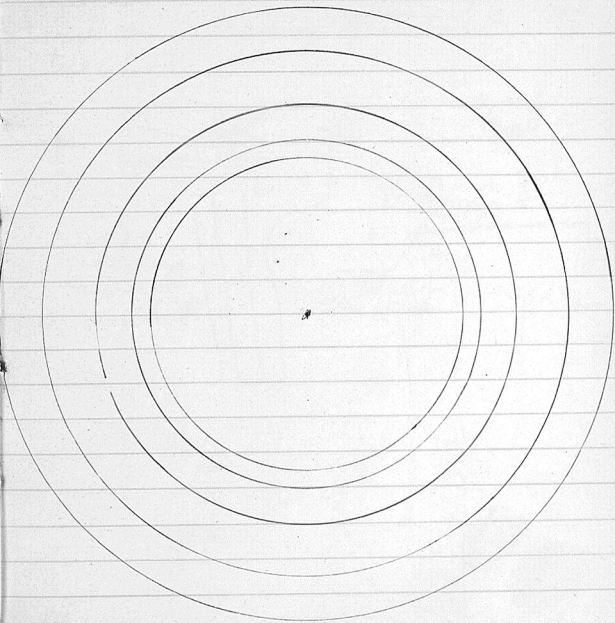
Armature ~~1 1/2 inches~~ $1 \frac{1}{2}$ in

Dimensions of armature $1 \frac{1}{2}$ by $\frac{1}{2}$ by $\frac{1}{8}$

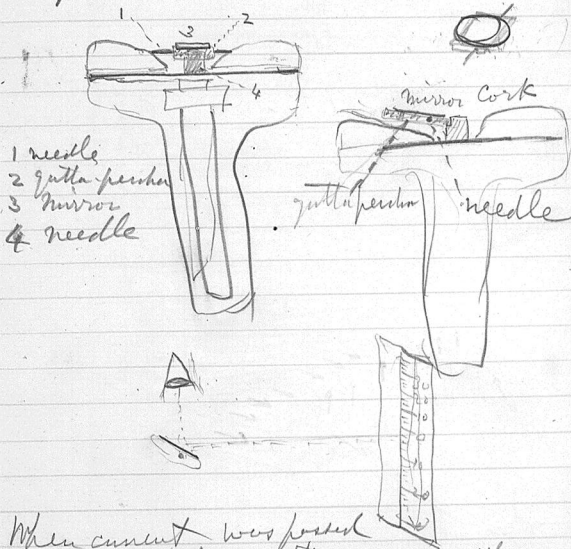






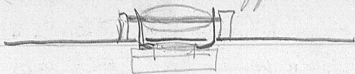


June 30th 1898 — Electro-phonoscope.
 Made following attachment to a
 telephone.



When current was passed
 through telephone. The scale apparently moved
 upwards a very little. This is sufficient to show

that more delicate apparatus will

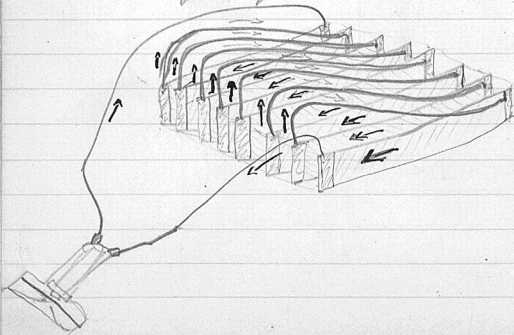


do well. Try following!

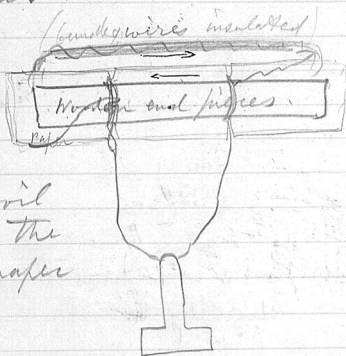


Turn mirror by friction against axis

Made this evening apparatus to test whether direct + return wires ~~off~~ neutralize induction currents when direct + return wires are of unequal resistances.

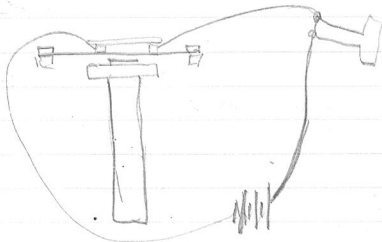


Direct wires of copper very thin (No 36) silk coated. Return wires of tin foil each layer being 18 inches by 2 inches. These were arranged as in last diagram. Each layer was insulated from the next by a sheet of paper. Whole arrangement as follows.



Tin-foil
between the
leaves of paper

July 1st 1878 Why not
magnify sounds due to Earth currents
by placing microphone on telephone-plate
Thus: —



Why not solve Autograph & Torpedo-
Boat scheme.

Microphone will prove the solution
of multiple telegraphy ~~possibly~~ if good
arrangement can be secured for causing musical tone
to record itself.

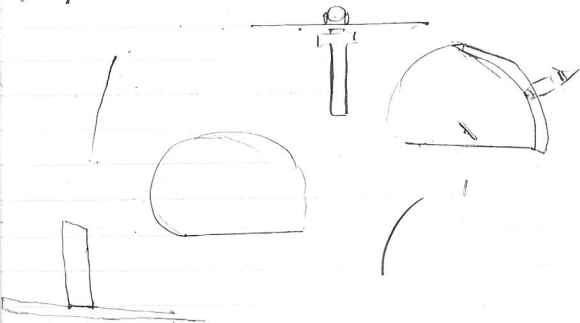
For autograph why not some such
arrangement as this with induction coil ~~at~~

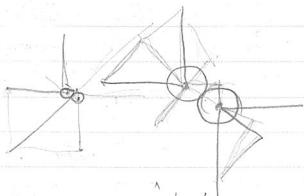
~~Heating out~~ It seems to me that power will be gained if sound is received upon a telephone plate & amplified ~~alternately~~.

Take old concertina reeds & see whether we can play them by influence of telephone plate.

I like the valve idea for automatical registration.

July 4th 1817






Consider ^{impact} ~~positions~~ in same straight line &
 consider effect of masses. Then when ~~any~~ ^{any}
 impacts at angle are considered - split

July 15th 1878. The first anniversary of
 our wedding. We have been spending
 the past week at the Abercorn Arms
 Hotel, in Great Stanmore but today
 Mabel & I accompanied by Elsie &
 Bessie went to town for the
 day. Mabel & I spent day
 in searching for wedding presents
 for each other. ~~Donegal~~

I gave Mabel a set of the Aldine
edition of the British Poets ~~and~~
in 52 volumes & she gave me
Chambers' Encyclopedia in 10 volumes.
In the evening we went to Musket's
& Cook's performance in the Egyptian
Hall. Mary Horne was quite
startled to see how much baby
has grown. Baby now smiles
occasionally - and evidently notices
~~the~~ things in motion. She
watched Gertrude's feet for a
long time yesterday. No winking
of the eyes yet when hand is moved.
She evidently recognizes her mother.
At July 12th Registered baby's birth today



$$P = A + W$$

$$P' = A + S$$

$$M = P - P' \text{ Equals moving force.}$$

When ~~reed~~ is up $P = A + W$ and $P' = S \therefore M = A + W - S$

When ~~reed~~ is down $P' = A + S \therefore M = \cancel{A} W - S$

Express S in terms of W . Let $S = xW$

Then ~~reed~~ up $M = A + W - xW = A + W(1 - x)$

~~reed~~ down $M = \cancel{A} W - xW = W(1 - x)$

~~Express upward pressure $\frac{M}{W} (-)$ & downward~~

~~pressure as $(+)$~~

~~Case Let's let Case 2~~

~~Case let's let $A = 0$ Consider $S = W$~~

$$S = (W + x)$$

$$\text{Then } M = A + W - (A + W + x)$$

$$= -x \text{ or } N$$



Consider downward pressures upon reed as (+) and upward pressures as (-).

Then moving force may be considered as the resultant of all the pressures upon reed or (1)

$$M = P + P'$$

Where M represents the moving force and $P + P'$ the ~~upward & down~~ downward & upward pressures respectively.

But $P = A + W$ Atmospheric pressure plus pressure due to the weight upon air reservoir

And $P' = -(A + S)$ i.e. Atmospheric pressure and upward pressure due to the spring elasticity of reed.

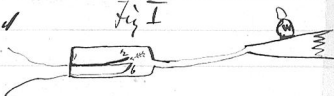
As upward & downward pressures are antagonistic we better express one in terms of the other as much as possible so consider $S = (W + X)$

Then $P' = -(A + W + X)$ ~~But~~ In this case X = the difference between the downward pressure due to weight upon airway - & the upward pressure due to the spring of the reed.

There are two cases that must be considered in ascertaining moving force. (1) Forces in operation when reed is closed and (2) Forces in operation when reed orifice is closed.

First case
Reed raised

Fig I



There is a passage for the escape gas between the reed and its bed as shown by arrow-head - and the moment the weight W ~~comes~~ commences to act a current of air passes through the orifice. But so long as a current passes along the under side of the reed the atmosphere is prevented from ~~entering~~ ^{pressing} any ~~pressure~~ on the under side of the reed ~~the~~ ~~the~~ i.e.

$$M = P + P'$$

~~$$A + W = (A + W + X)$$~~

$$= A + W - (W + X)$$

$$= A - X$$

~~When if X is greater than A~~

- (1) If X ~~is~~ is greater than A the moving force acts upwards ~~the~~ ~~the~~ the aperture between a and b (Fig 1) is forced to enlarge.
- (2) If X is equal to A the reed is in equilibrium and no motion ensues.
- (3) If X is less than A the reed is forced downwards until the orifice is closed and the ~~the~~ ~~the~~ escaped air prevented.

~~Let~~ Let X be less than A and consider effect when reed orifice is closed.

Second Case Reed depressed



There is no escape of air and the ~~the~~ atmospheric pressure acts upon under side of reed as well as upon the upper side. The moving force is therefore: -

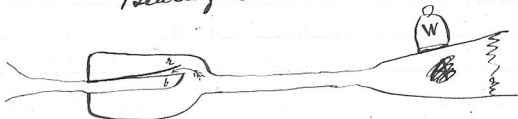
$$\begin{aligned} M &= P + P' \\ &= A + W - \{A + (W + X)\} \\ &= -X \end{aligned}$$

- (1) If X is a plus quantity $M = -X$ and acts upwards, tending to open aperture
- (2) If $X = 0$ The reed remains in equilibrium
- (3) If X is a minus quantity $M = X$ and the reed is pressed downwards against its bed.

~~Over~~

August 30th 1878. Case of reeds considered again.

Bending reeds.



Definitions. r reed. b bed of reed. W weight placed upon air-bag.

- A . Atmospheric pressure acting upon reed.
- W . Atmospheric pressure exerted upon reed due to weight W .
- S . ~~upward action~~ Spring of the reed - tending to ~~keep~~ keep reed raised away from its bed - b .

$$M = P + P'$$

1st Case. Reed raised. ~~$M = A + W - P' - S$~~

owing to escape of air between r & b - the atmospheric pressure is prevented from reaching the under side of reed.

Thus

~~$$M = A + W - P' - S$$~~

$$M = A + W - S$$

- Hence
- (1) $S > (A + W)$ Then M is an upward force tending to raise reed
 - (2) $S = (A + W)$ Then $M = 0$ and reed is in equilibrium
 - (3) $S < (A + W)$ Then M is a downward force tending to close the aperture between r & b (fig 1)

Let S be less than $(A+W)$ and let the reed be shut down against its bed. Then consider 2nd case.

2nd Case. Reed ⁽²⁾ in contact with its bed (b).

As the escape of air between r & b is ~~the~~ prevented the atmospheric pressure is exerted as upon the under side of the reed (2) and, ~~under the~~

$$M = A+W - (A+S) \\ = W - S$$

- Hence (1) If $S > W$ then M is an upward force tending to separate r & b
(2) If $S = W$ then $M = 0$ & the reed is in equilibrium.
(3) If $S < W$ then M is a downward force ~~the~~ resisting the separation of r & b .

Thus if S is greater than W and less than $A+W$ —
the reed r will be thrown into vibration and the
vibration will be due to the alternate absence
& presence of atmospheric pressure on the under side
of the reed.

The above investigation satisfies me that I have arrived at the true explanation of the vibration of reeds and the above is a qualitative analysis of the ~~other~~ effects produced. Can we not prove the matter by ~~proving~~ making a quantitative analysis.

~~Let us suppose a reed with a spring~~

~~Given a reed~~

Given a reed whose upward spring when closed exceeds w but is less than $a + w$.



Now before applying W . The reed ~~other~~ has attained a position of equilibrium. The spring of the reed may be considered as inoperative. But If we force 2 down towards b we find ^{that} the force S ~~has~~ has a ~~small~~ value dependent upon the position of 2 . This value is zero at the point of highest elevation and reached a maximum when the reed touches ^{its} bed (b).

Before ~~there~~ the weight W is placed in position the force S may be considered as non-existent - and the ~~reed is swept upwards & downwards~~ atmospheric pressure is the same above and below the reed.

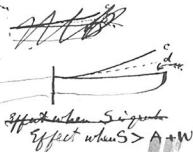
Now place the weight in position.

The downward pressure on the reed ^{increases} and the upward pressure diminished. ~~As~~ The reed moves downward ^{the} upward force S begins to come into play. ^{causing the downward motion} ~~As~~ while the downward pressure continues uniform - ^{the} upward pressure gradually increases.

Were the reed free to move far enough it would move downwards until the upward pressure of S had become equal to the downward pressure ($a+w$) and there after a few oscillations it would settle into a position of equilibrium.

Supposing then S to be greater than ($a+w$) the reed would have two ~~points of~~ calculable points of equilibrium - one its position of rest when the weight on the air-bag is inoperative and the other its position of rest when the weight acts. In the following illustration $c + d$ are the two points of equilibrium.

Before weight acts reed is in position c .
When weight acts air goes in direction of arrowhead and reed takes position d .

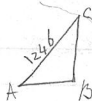


Examin I page 65

Given Hypot. 1246

Angle A $25^{\circ}30'$

Angle B 90°



Find Angle C = $90^{\circ} - 25^{\circ}30' = 64^{\circ}30'$

To Find side BC.

$$\text{Rad: } \sin A = 1246 : BC$$

$$\text{Log Rad} = 10$$

$$\text{Log Sin } 25^{\circ}30' = 9.633984$$

$$\text{Log } 1246 = 3.095518$$

$$\text{Log } BC = 2.729502$$

$$BC = 536.45$$

Sept 4th 1928 Plan for School-work,
10:00

Recess 10:50 50

11:00 45-

* Recess 11:45- 35-
45

12:15-

12:50

1:00

Home 1:45-

Drill 10 - 10:15

1 Voice ~~Recess~~ 10:15 - 10:20 (Drawing)

V.S. + sounds 10:20 to 10:50

~~Object lesson 10:20 - 10:50~~ free writing

~~Recess~~ Recess for 10 minutes

2 ~~Drill~~ Drill + voice 11:00 - 11:10

V.S. + sounds 11:10 to 11:25

Object lesson 11:25 to 11:45 (free)

Recess for half an hour

12:15 to

4

Junior Class

I	Drill + voice	10.00	10.10	} agp
	artic.	10.10	10.20	
	Mental Dev.	10.20	10.40	
	Artic.	10.40	10.50	

5:0

10 2:45 1:40
22 Recess 10 minutes

II	Drill + voice	11.00	11.05	} ind. %
	artic.	11.05	11.15	
	Ment. Dev.	11.15	11.35	
	Artic.	11.35	11.45	

Recess half-an-hour 11:45 - 12:00

III	Drill + voice	12.15	12.20	} agp
	Individ. { Artic.	12.20	12.35	
	{ Mental Dev.	12.35	12.50	

Recess 10 minutes

IV	Drill + voice	1.00	1.10	} ind. %
	Artic.	1.10	1.20	
	Mental Dev.	1.20	1.40	
	Artic.	1.40	1.50	

(Little ones go home)

Senior class.

9.30 to 10 — Articulation agb

I Drill & voice — 10.00 — 10.10 (agb)

~~Articulation~~ 10.10 — 10.20

~~Articulation~~ Mental Develop. 10.10 — 10.40 } M.H.T.

Articulation 10.40 — 10.50 }

II Drill & voice 11.00 — 11.05 (M.H.T.)

Mental Develop. 11.05 — 11.35 } agb

Artic. 11.35 — 11.45 }

Recess half an hour

III ~~Drill & voice 12.15 — 12.20~~

Writing from 12.15 to 1 o'clock.

2.45 —

2.20 —

IV Drill & voice — 1.00 — 1.10 (M.H.T.)

Artic. 1.10 — 1.20

Ment. devel. 1.20 — 1.50

Recess for 10 minutes

Articulation 2.00 — 2.30

$$\log 3708 = 3.569140$$

$$\log 11488 = 4.059942$$

$$302.4$$

$$4.060244 \quad 4$$

$$9025 = 955447$$

$$42.3$$

$$\log 621547 = ?$$

$$\log 6215 = .793441$$

$$\log 621547$$

$$28$$

$$4.9$$

$$\log 621547 = 5.7934739$$

$$\log x = \log 623 + \log 861 - \log 1000$$

$$\log 623 = 2.794488$$

$$\log 861 = 2.935003$$

$$\log 1000 = 3.000000$$

$$2.729491 = \log 536$$

$$489$$

$$2$$

$$536.4$$

$$(1246)^2 - (536.4)^2 =$$

$$R: \sin 64^\circ 30' :: 1246 : y$$

$$.90259$$

$$100000 : 90259 :: 1246 : y$$

$$y - \log 1246 = 3.095518$$

$$\log 90259 = 4.955489$$

$$\log 100000 = 5.000000$$

$$\log y = \begin{array}{r} 3.095518 \\ 4.955489 \\ 5.000000 \\ \hline 3.051007 \end{array}$$

$$y =$$

$$\begin{array}{r} 050766 \\ 241 \\ 231.6 \\ \hline 050766 \\ 231.6 \\ \hline 050997.6 \end{array} = 1124.6$$

$$y^2 = (1124.6)^2 = 050997.6$$

$$x^2 = (536.4)^2 = \cancel{287724.96}$$

$$x^2 + y^2 = (1246)^2 = \cancel{1552816.00}$$

$$x^2 = (1124.6)^2$$

$$y^2 = (536.4)^2$$

$$x^2 + y^2 = (1246)^2$$

By Log.

(Twice the Logs)

$$\log 1124.6 = 3.050997.6$$

$$\log 536.4 =$$

$$\log 1246 =$$

Double the Log numbers

$$\log 1124.6 = 3.051007.7$$

$$\log 536.4 = 2.729491$$

$$\log 1246 = 3.095518$$

$$6.102014 = 1264780$$

$$5.458982 = 287728$$

$$6.191036 = 1552870$$

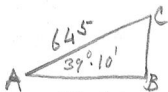
$$1552508$$

$$\begin{array}{r} 102014 \\ 100747 \\ \hline 267 \\ 240 \\ \hline 270 \\ 274 \end{array} = 126478$$

$$\begin{array}{r} 458982 \\ 8940 \\ \hline 42 \\ 30 \\ \hline 120 \\ 120.8 \end{array} = 287728$$

$$\begin{array}{r} 191036 \\ 190892 \\ \hline \end{array} = 155287$$

$$\begin{array}{r} 244 \\ 224 \\ \hline 200 \\ 196 \end{array}$$



$$A = 39^{\circ} 10'$$

$$C = 50^{\circ} 50'$$

$$A = 39^{\circ} 10'$$

$$C = 50^{\circ} 50'$$

$$CB = 407.368$$

$$\text{Rad: } \sin 39^{\circ} 10' :: 645 : CB \quad AB = 500.077$$

$$\text{Rad: } \cos :: 645 : AB$$

$$\text{Log } CB \quad \text{Rad} = 10.$$

$$\text{Log } \sin 39.10 = 9.800427$$

$$\text{Log } 645 = 2.809560$$

$$\text{Log } CB = 2.609987$$

$$CB =$$

$$107914 = 407368$$

$$\begin{array}{r} 73 \\ 64.2 \\ 88 \\ 85.6 \end{array}$$

$$CB = 407366$$

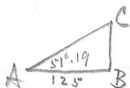
$$\text{Log Rad } 10. =$$

$$\text{Log } \cos. 9.889477$$

$$\text{Log } 645 = 2.809560$$

$$\text{Log } AB = 2.699037$$

$$\begin{array}{r} 699037 \\ 698970 = 500.077 \\ 67 \\ 60.9 \\ 60.9 \end{array}$$



Given $AB = 125'$
 $\angle A = 51^\circ.19'$

Since $AB = \text{Prod.}$

Then $AC = \text{Sec. } 51^\circ.19'$

and $BC = \text{Tan. } 51^\circ.19'$

~~$CB = 125' \times \text{Tan } 51^\circ.19'$~~

$\text{Log Prod} = 10.$

$\text{Log Sec. } 51^\circ.19' = 10.204109$

$\text{Log Tan. } 51^\circ.19' = 10.096545$

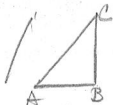
$\text{Log } 125 = 2.096910$

$\text{Log } AC = 2.301019$

$\text{Log } BC = 2.193455$

$$\begin{array}{r} 2.301019 \\ 300813 \\ \hline 206 \\ 195.3 \\ \hline 107 \\ 107 \end{array} = 1999949 = AC$$

$$\begin{array}{r} 2.193455 \\ 193403 \\ \hline 52 \\ 27.8 \\ \hline 242 \\ 250 \end{array} = 1561186 = BC$$



$$\left. \begin{array}{l} AB = 180 \\ A = 62^\circ 40' \end{array} \right\} \text{Given}$$

~~To find BC~~ To find BC

Log Rad = 10.0000

Log Tan A = 10.286614

Log AB = 2.255273

BC = 348.2464

~~Ans BC =~~

$$\begin{array}{r} 2.541887 \\ 541829 \end{array}$$

$$\begin{array}{r} 541829 \\ 550 \end{array}$$

$$\begin{array}{r} 550 \\ 80 \end{array}$$

To find AC

Rad = 10

Log Sec = 10.338030

AC = 392.0153

Log AB = 2.255273

$$\begin{array}{r} 2.593303 \\ 3286 \end{array}$$

$$\begin{array}{r} 3286 \\ 17.1 \end{array}$$

~~Ans AC =~~

$$\begin{array}{r} 17.1 \\ 55.5 \end{array}$$

$$\begin{array}{r} 55.5 \\ 35 \end{array}$$

$$\begin{array}{r} 35 \\ 33.3 \end{array}$$



Given $\left. \begin{array}{l} AC = 645 \\ AB = 500 \end{array} \right\}$

To find BC.

$$AC^2 - AB^2 = BC^2$$

$$(645)^2 = 416025$$

$$(500)^2 = 250000$$

$$\sqrt{166025} = 407.8?$$

$\frac{1}{2}$ Logarithms

~~Log 645 = 2.8100~~
~~Log 500 = 2.6990~~

$$\log 166025 = 5.$$

$$1660 = 220108$$

$$\begin{array}{r} 2 \quad 52.2 \\ 13.05 \\ \hline 2 \sqrt{5.220173.25} \end{array}$$

$$2.610086 - 625$$

$$610021 =$$

$$656$$

$$642$$

$$14.2$$

$$10.7$$

$$355$$

$$321$$

$$34$$

$$32.1$$

$$(407.46133)$$

Find A B Rad.

$$\text{Sec of } A : \text{Rad} :: AC : AB$$

$$\begin{aligned} \text{Log Rad} &= 10. \\ \text{Log AC} &= 2.809560 \\ \text{Log AB} &= 2.698970 \end{aligned}$$

$$A = 39^{\circ} 10' 39''$$

$$\text{Log Sec A} \quad 10.110590$$

$$110523 = 39^{\circ} 10' 39''$$

$$\begin{array}{r} 2.584330 - 85 \\ \underline{384331} \\ 384 \end{array}$$

$$\begin{array}{r} 171 \overline{) 6700(39} \\ \underline{513} \\ 1570 \\ \underline{1539} \\ 31 \end{array}$$



$$A = 53^{\circ} 7' 48''$$

$$C = 36^{\circ} 52' 12''$$

$$\text{Sec A : Rad} :: AC : AB \quad CB = 384$$

$$\text{Log Rad} \quad 10. \quad \text{AC}^2 = 480^2 = 230400$$

$$\text{Log AC} \quad 2.681241 \quad AB^2 = (288)^2 = 82944$$

$$\text{Log AB} \quad 2.459392 \quad CB = \sqrt{147456}$$

$$\text{Log Sec A} \quad 10.221849$$

$$221713 = 53^{\circ} 7' 48''$$

$$1474 = 168497$$

$$\begin{array}{r} 57 \\ 6 \\ \underline{2} \quad 15.168661.7 \\ 2.584330.85 \end{array}$$

$$\begin{array}{r} 28 \overline{) 1360(48} \\ \underline{112} \\ 240 \\ \underline{224} \\ 16 \end{array} \quad 36^{\circ} 52' 12''$$



Given

$$AB = 360$$

$$BC = 270$$

Found

$$A = 53^{\circ} 7' 48''$$

$$C = 36^{\circ} 52' 12''$$

$$AC = 450$$

$$AC = \sqrt{AB^2 + BC^2}$$

$$AB^2 = (360)^2 = 129600$$

$$BC^2 = (270)^2 = 72900$$

$$\log 202500 = 2.306425$$

$$\log AC = 2.6532125$$

$$\log 450 = 2.653213$$

$$AC = 450$$

~~THE~~ ~~SRA~~

$$\sin A : R :: 360 : 450$$

$$\sin A = \frac{R \times 360}{450} \quad 90$$

$$\log R = 10$$

$$\log 360 = 2.556303$$

$$\log 450 = 2.653213$$

$$\log \sin A = 9.903090 \quad 53^{\circ} 7' 48''$$

$$\begin{array}{r} 158 \overline{) 7600} \quad 48 \\ \underline{632} \\ 1280 \\ \underline{1280} \\ 0 \end{array}$$

Given



$$AB = 467$$

$$BC = 389$$

Found

$$AC = 607.792$$

$$A = 39^{\circ} 47' 36''$$

$$C = 50^{\circ} 12' 23''$$

$$AB^2 = 218089$$

$$BC^2 = 151321$$

$$AC^2 = 369410$$

$$\text{Log. } AC^2 = 5.567497$$

$$5.567509$$

$$\text{Log } AC = 2.783754 - 5$$

$$AC = 607.792$$

$$\tan A : R :: CB : AB$$

$$\tan A = \frac{R \times CB}{AB}$$

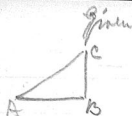
$$\text{Log } R = 10$$

$$\text{Log } CB = 2.589950$$

$$\text{Log } AB = 2.669317$$

$$\text{Log } \tan A = 9.920633 - 90 = 39^{\circ} 47' 36'' = A$$

$$\begin{array}{r} 428 \overline{) 15700} \quad (36.7 \\ \underline{1284} \\ 2860 \\ \underline{2568} \\ 2920 \\ \underline{2920} \\ 0 \end{array}$$



$$AB = 530$$

$$BC = 670$$

Found

$$AC = 854.282$$

$$A = 51^{\circ} 39' 15''$$

$$C = 38^{\circ} 20' 44''$$

$$AB^2 = 280900$$

$$BC^2 = 448900$$

$$AC^2 = 729800$$

$$\text{Log } AC^2 = 5.863204$$

$$\text{Log } AC = 2.931602$$

$$\text{AC} = \frac{931560}{1000} = 854.282$$

$$\begin{array}{r} 42 \\ 40.8 \\ 12 \\ 10.2 \end{array}$$

$$\text{Tan } A = \frac{BC}{AB}$$

$$\text{Log } R = 10$$

$$\text{Log } BC = 2.826075$$

$$\text{Log } AB = 2.724276$$

$$\text{Log Tan } A = 10.101799$$

$$10.101730 = 51^{\circ} 39' 15''$$

$$433 \overline{) 6900} (15.9$$

$$\underline{433}$$

$$2570$$

$$\underline{2185}$$

$$3850$$

$$\underline{3897}$$

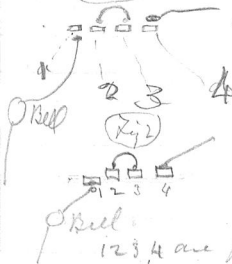
$$53$$

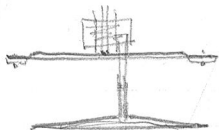
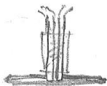
Sept. 20th 1878 For telephonic circuits where a number of subscribers are on the same circuit — we want an arrangement whereby ~~any one house can ring up any other house upon the circuit without interfering calling up intermediaries~~, disturbing the others. Why not have a sort of puzzle-lock connection with bell — so that bell won't ring until puzzle lock is set to a certain number the number of the house.

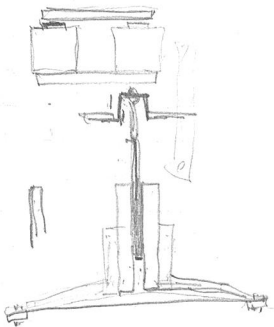
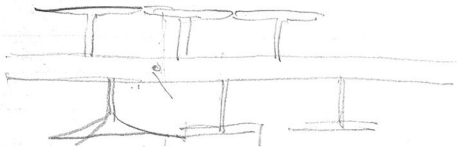
(Fig 1)

Let ~~1234~~ be the c.s. of lines that could be moved successively by an electro-magnet either downwards or upwards, at which lines retain the positions in which they are placed. Then when

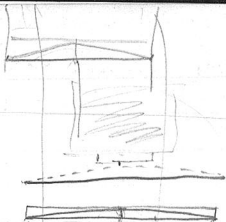
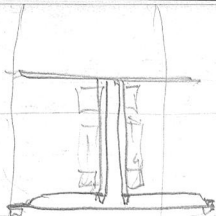
1234 are placed as in Fig 2 the bell can be rung — but if the levels 1234 are diff. arranged bell-circuit is broken.







61
 $\frac{8 \sqrt{36}}{4}$ 1.1 inches
 4 4.4 inches



Suppose a circular plate of iron
 offering 36 square inches of surface to have
~~and~~ its centre moved one eighth
 of an inch towards ~~the~~ magnet ~~on~~ then
 volume of water displaced would be
 slightly more than $\frac{1}{2}$ of $\frac{1}{8}$ of 36 cubic
 inches. That is equivalent to the displace-
 ment of 2.25 cubic inches of water.

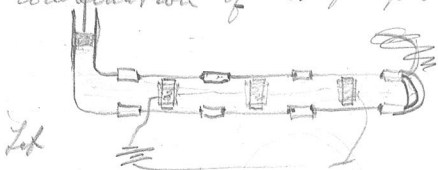
$$\frac{1}{2} \times \frac{1}{8} \times \frac{36}{1} = 2.25$$

~~But the thus this Let this be~~
~~paraphrase act as a piston.~~

This would give a stroke of 2.25 inches
 to a piston placed in a pipe whose cross-

section was equivalent to 1 square inch.

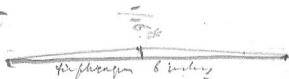
This plan evidently will enable us to obtain a stroke of any desired length and any power - by a combination of diaphragms, etc



~~Let~~ Place a number of magnets in pipe whose side contains a number of metallic diaphragms. You get the combined effect upon the piston in pipe.

It is certainly the case that enormous power is generated within a ~~very~~ short distance from the pole of an electric magnet. Let us then ~~con-~~ fine ourselves to make the maximum distances of the diaphragms from the magnets ~~be~~ $\frac{1}{16}$ inch. Enormous force would be exerted on the plate. Let us calculate how many diaphragms of six inches diameter would be required.

to produce a stroke of ~~five~~ inches with
~~the piston~~ a piston whose area is four
 square inches.



Area of diaphragm = 36 sq. in.

Height of movement $\frac{1}{16} \text{ in.}$

$$\text{Displacement} = \frac{1}{2} \times \frac{1}{16} \times \frac{36}{1} = 1.125 \text{ (Cub. in.)}$$

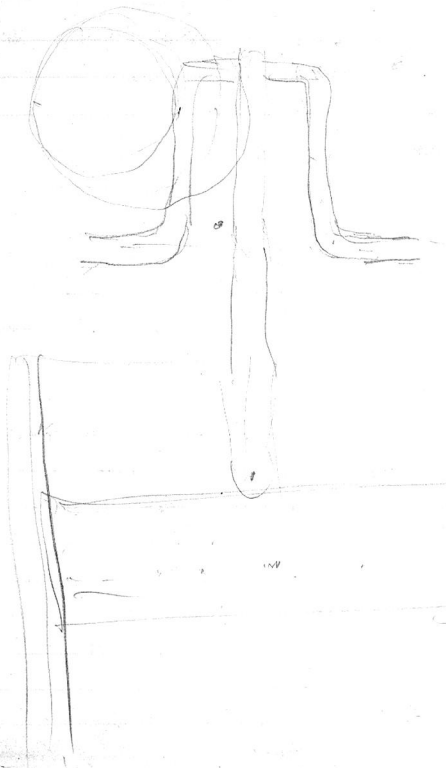
Each diaphragm displaces 1.125 Cubic inches

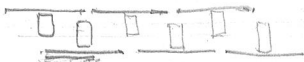
Displacement required to produce required
 motion of piston = $4 \times 4 \text{ Cubic inches} = 16 \text{ Cub. in.}$
 Hence number of diaphragms required is

$$16 \div 1.125 =$$

$$\begin{array}{r} 1125 \overline{) 160000} \quad (14 \\ \underline{11250} \\ 47500 \\ \underline{45000} \\ 2500 \end{array}$$

~~14~~ 16 diaphragms + eight
 magnets would produce the required displacement





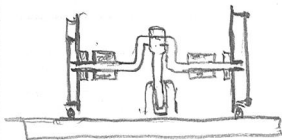
8 diaphragms

$$(8 \times 6) + 8 = 56 \text{ inches or four feet}$$

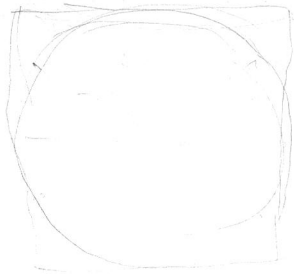
By the way why not make the diaphragms the wheels of your electro-magnetic engine ~~of the same idea~~ and the magnet the axle + bent axle ~~of the same idea~~

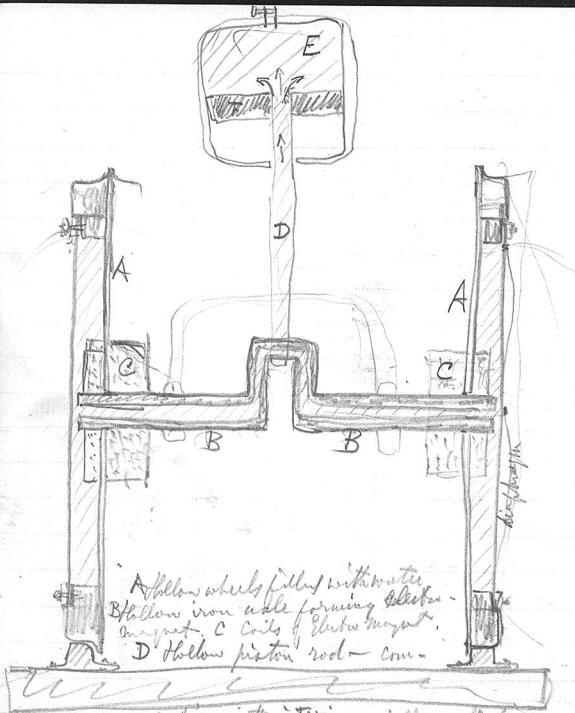
~~Splendid idea~~ !!

See opposite page -

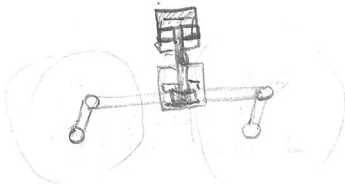
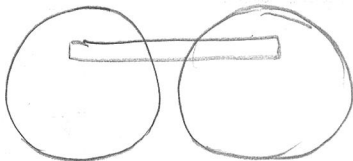


2





municating with interior of hollow cylinder E.
 When current passes magnets attract diaphragms ~~that~~
 and water is forced out of wheels through the axle & piston
 rod into the chamber E and thus the piston F is ~~driven~~
 pushed out. When the current ceases the diaphragms spring



$$\frac{36}{144} \times 2 \text{ inches}$$

$$\frac{16}{84}$$

$$\frac{1}{2} \times \frac{1}{16} \times \frac{32}{1}$$

82 inches

$$\frac{1}{2} \times \frac{1}{16}$$

$$\frac{1}{32}$$



back to their own
out of chamber
cylinder.

elasticity. Water is chopped
and piston moves into



Diameter of wheels .. four feet
or rather **say** (48 x 48) sq. inches.

$$\begin{array}{r} 48 \\ 48 \\ \hline 384 \\ 192 \\ \hline 2804 \end{array} \quad \begin{array}{l} 6 \\ 3 \end{array} \quad \begin{array}{l} 1 \\ 1 \end{array}$$

sq 20'00 sq. inches each diaphragm

The four wheels would therefore have 8000 sq. inches of diaphragm. Let them be moved $\frac{1}{16}$ in. of an inch.

Then displacement = $\frac{1}{2} \times \frac{1}{16} \times \frac{8000}{4}$ cubic inches

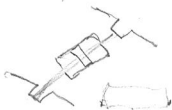
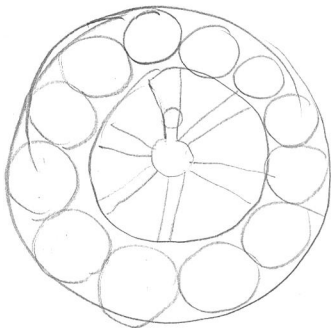
$$\begin{array}{r} 8000 \\ 4 \\ \hline 2000 \end{array}$$

~~2500 inches of displac~~

250 cubic inches of water would therefore be displaced at every stroke.

~~Suppose given piston to have one square foot of surface = 144 sq. inches~~
~~the~~ ~~250~~

Let the piston have a stroke of 5 inches then the internal diameter of water cylinder or of piston will be $250 \div 5$ sq. inches 50 sq. inches and the diameter would be about 7 inches.



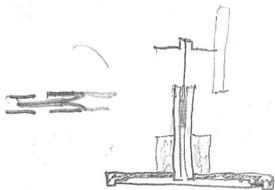
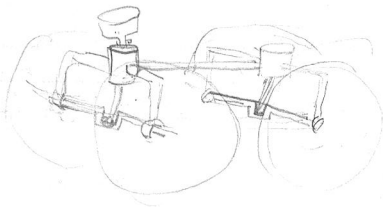
2

$\frac{1}{16}$

$$\frac{4}{16}$$

$$\frac{1}{16} \times \frac{1}{2} = \frac{1}{32}$$

16



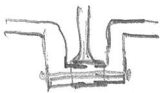
$$\frac{1}{2} \times \frac{1}{4} = \frac{1}{8}$$



4 inches

$$\frac{1}{2} \times \frac{1}{4} \times \frac{16}{1} = \frac{1}{2} \text{ Cal in}$$

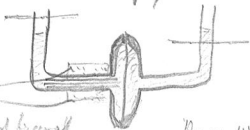
Bottom



Sunday Sept 29th (?) 1878

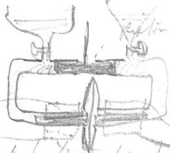
The pressure of the water will have a tendency to cause the diaphragm to bulge outwards and thus to go from magnet. Even if the diaphragm be retained in position by a screw still the magnet must overcome the whole pressure due to the water before moving the piston.

Have water on both sides of the diaphragm so as to equalize pressure on the two sides when magnet is not moving. Have following arrangement made of glass.



Fill left hand branch with iron wires and coil outside glass pipe.


both



Run water into both tubes till it is of equal height in

Sunday Sept. 29th 1878

We left Gowrock Friday morning
just before leaving Elsie rolled off sofa
~~and~~ ^{on} to the floor. We were all much
frightened as she struck her head
on floor. However it turned out
she fell on her face and it is only
her nose that is hurt. The doctor said
it was no matter and we might travel
with her with perfect safety. Reached Columbia
Friday afternoon. ~~and~~ ~~all~~ ~~the~~ ~~time~~
~~all~~ ~~the~~ ~~time~~ ~~the~~ ~~time~~



Sunday Sept. 29th 1878

Simple Hotel Indicator a desideratum. My experience of automatic Indicator - is, that it will be expensive if like Model made by Mr. Bailey. A simple Indicator should be a most inexpensive contrivance.

See notes upon a Hand Indicator for Houses (June 10th 1878).

Make hand indicator fly back to zero by weight or spring.



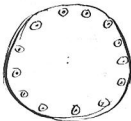
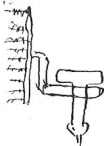
or



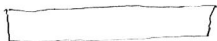
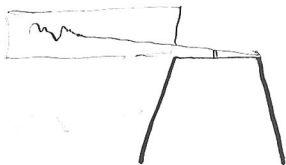
October 4th 1878



Oct. 5th 1878

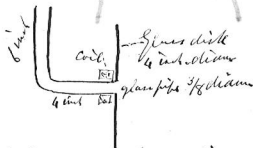


Oct 5th 1878 Sent Mr. Brown
Amer. Teleph. No 349, 391—



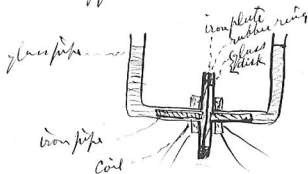
October 6th 1878 —

Oct. 14th 1878 W. Scott & I have following apparatus made for me today.

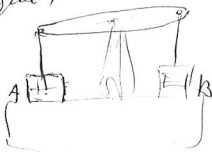


Iron pipe to fit inside glass pipe .3 inches long by $\frac{1}{4}$ dia.

Whole apparatus to be arranged as follows



Electro-magnetic Engine



Ace, haze

ice, eyes, hies

Add, at, ant, and, hat, had, hand, hadn't
of head, end, ate

Adze

aft haven't

Age H

~~et al~~ edge ~~edge~~

aid, ~~ate~~ eight, hate, ain't
height, hide, hind,

ail, ale, hale, hail
isle, I'll,

aim

I'm

air, ~~area~~ heir, hair
all, hall aul haul

Am, ham,

M, hem

Am -

N, hen,

And (see add)

Ant (see add)

ape -

apt, ~~happened~~

happened, hempt

arc, hark,

arch -

urge

are

her -

ark see arc.

arm, harm

art

~~aren't~~ heart, harte, hard, aren't
~~earn't~~ hurt earned
hurt, heard, herd, earned

as

as

ask —

ask

asp — ^{harp}
~~harp~~

ass see as

at — see add

awe —

owl ^{oh!} see all

awn

~~to~~ horn, on,

ax —

X, eggs,

Aye, Eh!

ay! Eye, I,

X —————

